



ν_e Bar Appearance at T2K with VALOR

Raj Shah, Department of Physics University of Oxford, RAL raj.shah@physics.ox.ac.uk

On behalf of the T2K collaboration



Outline

Presented here are studies performed to study the effect of sampling of the nuisance parameter space to generate a distribution of the test statistic given the null hypothesis of no ν_e Bar appearance

P Value:

The probability to make a measurement as or more extreme than seen in data given the null hypothesis is true.

Null Hypothesis:

No ν_e Bar appearance ($\beta = 0$)
($P_{osc}(\nu_\mu\text{Bar} \rightarrow \nu_e\text{Bar}) = \beta P_{osc}(\text{PMNS})$)

P Value

- (1) Generate a fake data set T for null hypothesis
- (2) Compute test statistic S for T
- (3) Fill distribution with ensemble of statistics S_i
- (4) Calculate data statistic S_D
- (5) Compare S_D with S_i

Priors:

Parameter(s)	Prior	Range
$\sin^2 \theta_{23}$	uniform	[0.3; 0.7]
$\sin^2 2\theta_{13}$ ($\sin^2 \theta_{13}$) reactors	gauss	0.085 ± 0.005
$\sin^2 2\theta_{12}$	gauss	0.846 ± 0.021
$ \Delta m_{32}^2 $ (NH) / $ \Delta m_{31}^2 $ (IH)	uniform	$[2; 3] \times 10^{-3} \text{ eV}^2/c^4$
Δm_{21}^2	gauss	$(7.53 \pm 0.18) \times 10^{-5} \text{ eV}^2/c^4$
δ_{CP}	uniform	$[-\pi; +\pi]$
Mass Hierarchy	uniform	0.5 for NH and IH

Asimov:

T2K Run1-4 Best fit + 2015

T2K

- Long baseline ν oscillation experiment
- 4 sample fit (e-like/ μ -like ν/ν Bar)
- Flux and x-sec constrained by ND

- Oscillation parameters = nuisance
- e-like/ μ -like ν and μ -like ν Bar constrain nuisance parameters
- ND fit -> Prior for Super-K fit
- Nuisance marginalised out

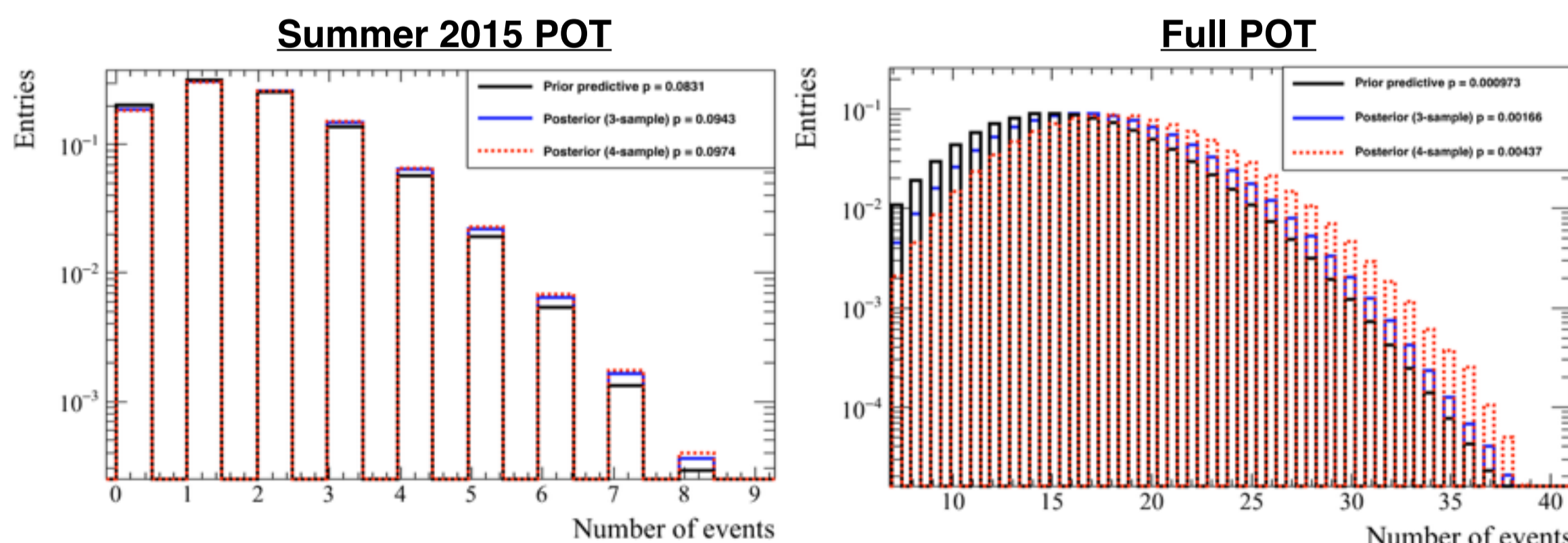
Q: What are the variations of my null?

Rate only analysis

“Data” = Asimov (MC) data

- (1) Throw expectation T_{exp} from priors (nuisance parameter fluctuations)
- (2) Likelihood weight $L = L(T_{data}|T_{exp})$
- (3) Statistical fluctuation of T_{exp} : T_{obs}
- (4) Distribution: 10k T_{obs} from 100k T_{exp}
- (5) T_{obs} weighted by L

Statistic: #Events in ν_e Bar sample

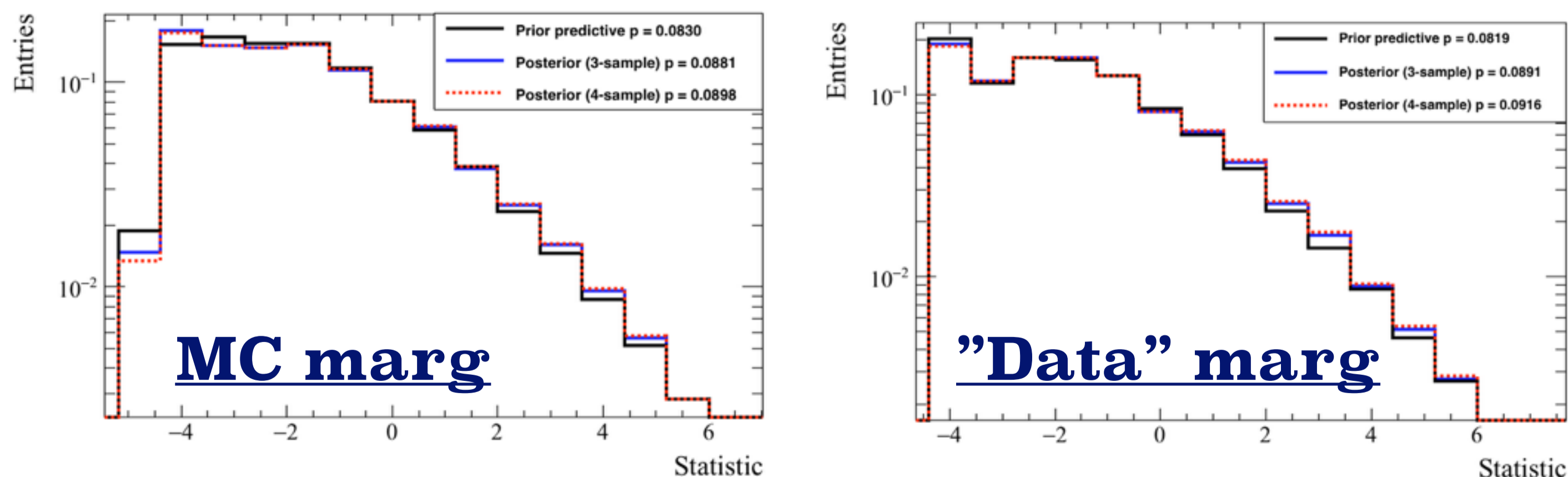


Rate + shape

“Data” = Asimov (MC) data

- Test: same as rate-only
- Toy weight from real data
- Marginalisation penalty?
 - “Real data”
 - MC throw data (T_{data})

Statistic: $\Delta\chi = \chi^2(\beta=1) - \chi^2(\beta=0)$ (marginalised)



Summary

- Little effect with current statistics
- Significant at larger POT
- ν Bar e-like posterior = conservative

References

- physics.rockefeller.edu/luc/proceedings/phystat2007.pdf
- <https://arxiv.org/abs/1605.01626> - NuFact2015 K. Duffy

